

High Promise

of

Beauty

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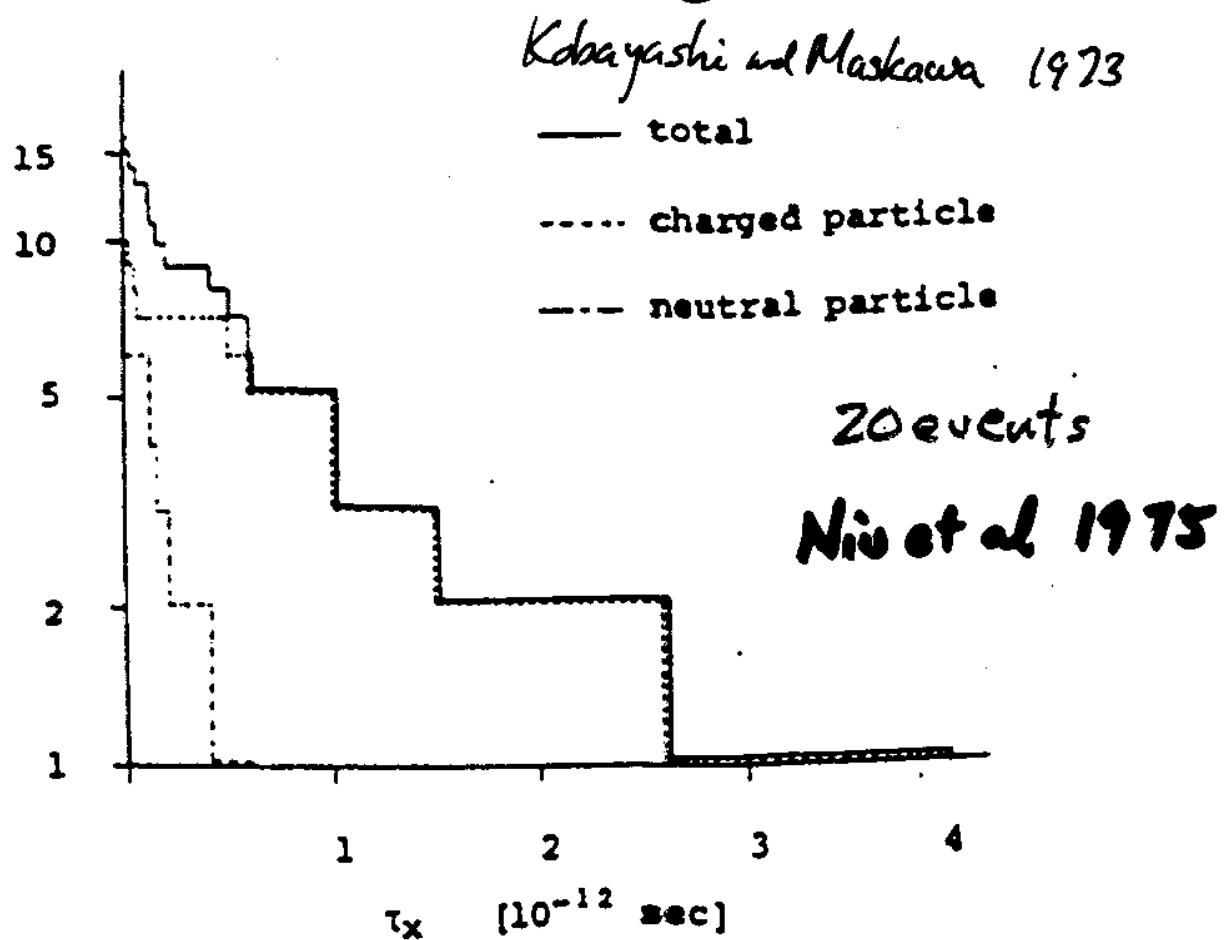
HQ98 workshop

Fermilab

## Outline

1. The necessity of Beauty
2. Gold mine
3. Technical difficulties

If you have 4 why not 6!



$$\tau_I = (1 \sim 2) \times 10^{-12} \text{ sec}$$

$$\tau_o = (3 \sim 4) \times 10^{-13} \text{ sec}$$

Hoshino et.al 14th Int. Cosmic Ray Conf (Munich)  
7,2442 (1975)

G. Goldhaber et.al. PRL 37, 255 (1976)

Gell-Mann 1964 in Phys, 163  
also in Eightfold way p. 198 + 199

In other words, we construct a mathematical theory of the strongly interacting particles, which may or may not have anything to do with reality, find suitable algebraic relations that hold in the model, postulate their validity, and then throw away the model. We may compare this process to a method sometimes employed in French cuisine: a piece of pheasant meat is cooked between two slices of veal, which are then discarded.<sup>10)</sup>

Their non-appearance could certainly be consistent with the bootstrap idea, and also possibly with a theory containing a fundamental triplet which is hidden, i.e., has effectively infinite mass.

## 2. Gold mine

(A)  $B$ - $\bar{B}$  mixing

Ellis, Gaillard, Nanopoulos, Rudaz  
NP B133, 285 (1977)

$$\frac{\Delta M}{\Gamma} \cong \frac{m_t^2}{700 \text{ GeV}^2}$$

$$f_B \sim 500 \text{ MeV}$$

(B)  $\frac{\text{Im } m}{\Delta m} \approx \tan 2\delta$

$$\epsilon_B \gg \epsilon_K ?$$

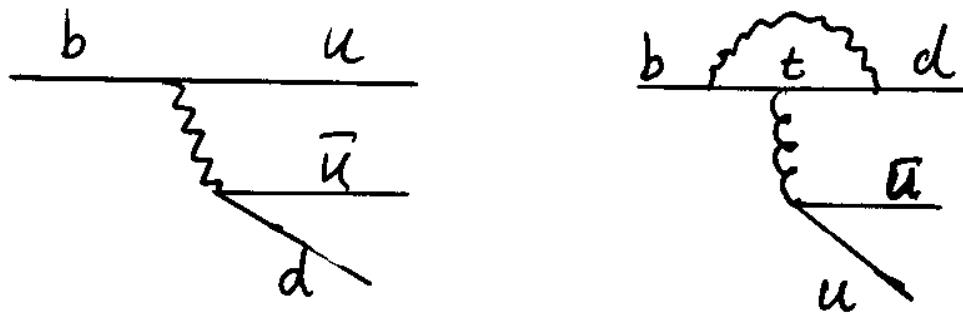
Problem: Find rephasing invariant:

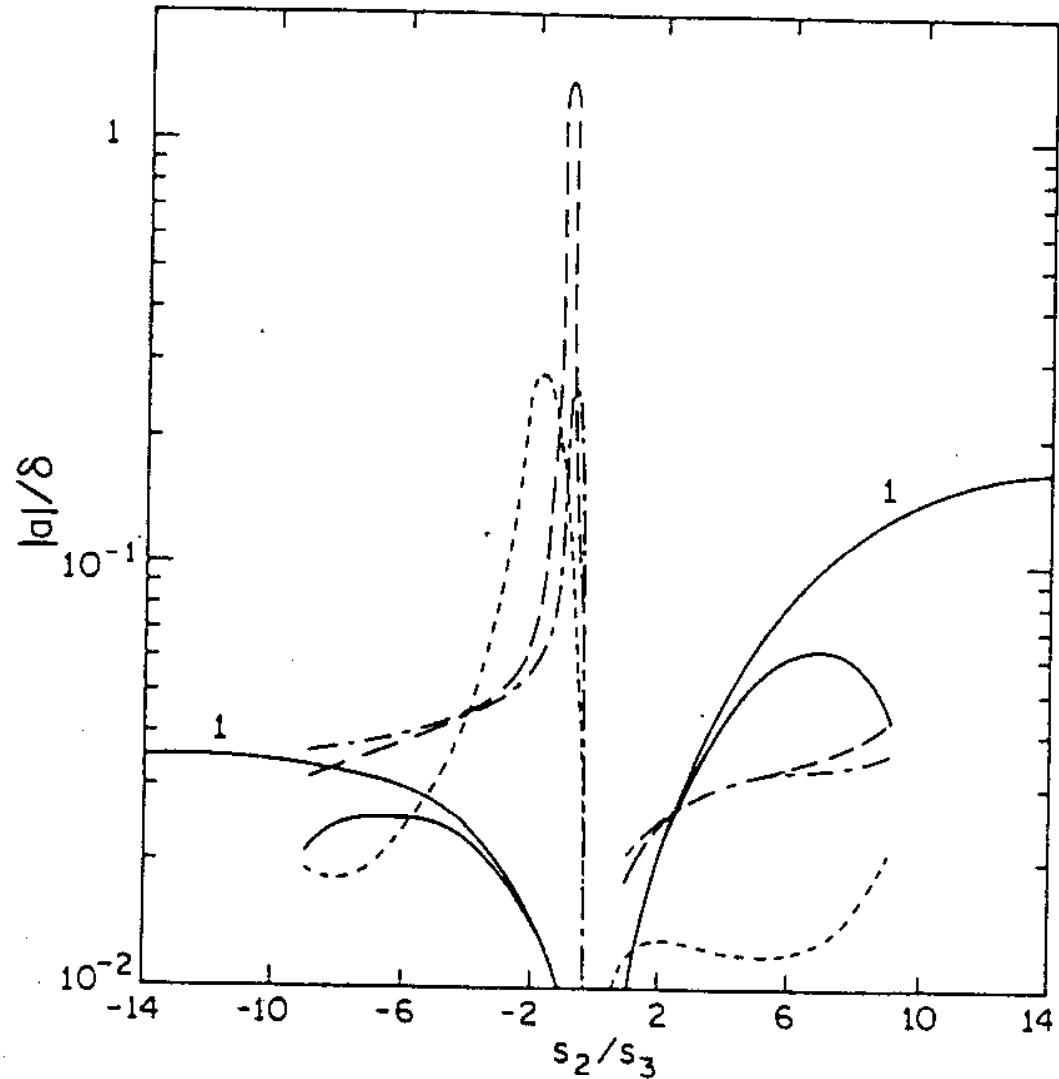
~~CP~~ observable!

# I. 1st result

Barder Silverman + Soni  
PRL 43 1979

$$a = \frac{\Gamma(b \rightarrow f q \bar{q}) - \Gamma(\bar{b} \rightarrow \bar{f} q \bar{q})}{\Gamma(b \rightarrow f q \bar{q}) + \Gamma(\bar{b} \rightarrow \bar{f} q \bar{q})}$$

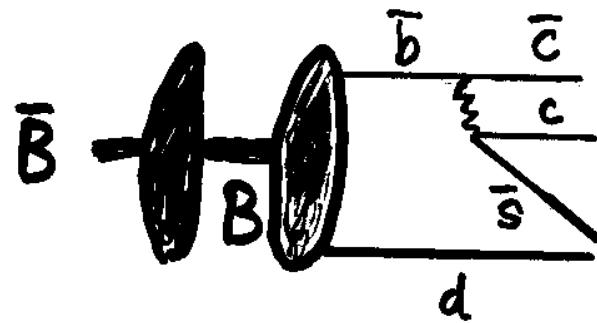
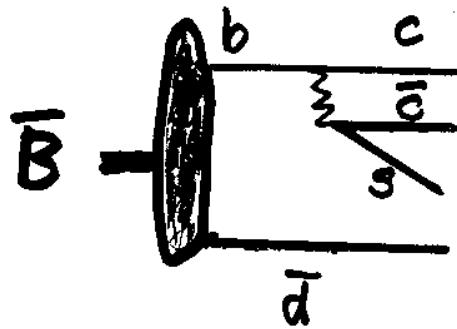




Bander Silverman & Soni

## 2. CP in $B \rightarrow$ hadrons

Carter & Sanda  
PRL 45, 959 (1980)  
PR 23 (1981)

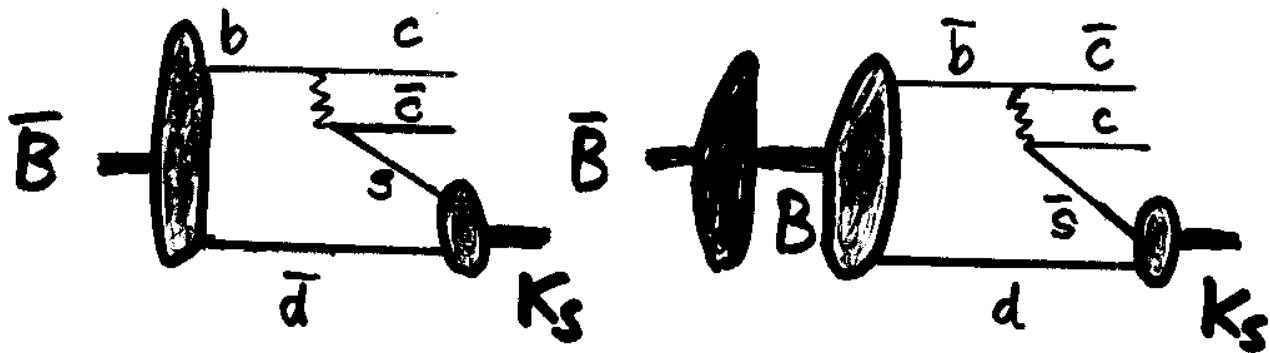


CP in major decay mode!

Only if these diagrams interfere!

## 2. $\Delta P$ in $B \rightarrow \text{hadrons}$

Carter + Sanda  
 PRL 45, 959 (1981)  
 PR 23 (1981)



$\Delta P$  in major decay mode!

Only if these diagrams interfere!

Idea came to me on a hot saturday afternoon when I was supervising a math exam.

No supp.  $B \rightarrow c\bar{c} K_s$  asymmetry in a major decay mode!

# Dilepton

$B \rightarrow K_S c\bar{c}$  inclusive

CP asymmetry may cancel.

Bigi + AIS    NP 193 85 (81)

$B_d \rightarrow \psi K_S + \pi'$ 's

$$\text{CP} |\psi K_S n \pi^0\rangle = -(-1)^n |\psi K_S n \pi^0\rangle$$

$$\text{Im}\left(\frac{q}{p} p\right) = -\text{Im}\left(\frac{V_{cb} V_{td}^*}{V_{tb}^* V_{cd}} \quad \frac{V_{cb} V_{cs}^*}{V_{cb}^* V_{cs}}\right)$$

Time integrated asym = 0 for  $(B\bar{B})_{C=-1}$   
 How do we get S-wave  $B\bar{B}$  state?

$T(4S) \rightarrow B\bar{B}^* \xrightarrow[C=-1]{} \overbrace{B\bar{B}}^{C=+1} \not\propto C=1$

### 3. Technical Difficulties - numerous

1.  $\begin{aligned} \text{Br}(B \rightarrow \psi K_S) &\sim 10^{-4} \\ \text{Br}(B \rightarrow \ell \nu X) &\sim 10^{-1} \\ \text{Br}(\psi \rightarrow e^+ e^-) &\sim 10^{-1} \end{aligned} \quad ] 10^{-6}$

Need  $10^8 B^0 \bar{B}^0$  to have 100  $\psi K_S$  tagged

$$\mathcal{L} = 10^{34} \text{ cm}^{-2} \text{ sec}^{-1} \quad \text{CESR} \quad 10^{31} \sim 10^{32} \text{ cm}^{-2} \text{ sec}^{-1}$$

2. Long awaited decay mode

$$T(4S) \rightarrow B \bar{B}^* \rightarrow B \bar{B} \gamma \quad \text{Did not happen!}$$

$C=-1$                            $C=+1$                    $C=-1$

CUSP (83)  
CLEO



$$\text{Asym} = \text{Im}\left(\frac{q}{\rho}\rho\right) \sin \Delta m(t_1 - t_2)$$

Time integrated asym. vanishes

3.  $\tau_B \approx 1 \text{ ps} \Rightarrow B$  track  $\sim 20 \mu\text{m}$ .

Impossible to measure!

# Discovery of $B$ - $\bar{B}$ mixing

ARGUS (87)

Exp. Detectors + Exp Areas for SSC Berkeley (81)  
Bottom and Top physics Foley et.al  
measuring time dep. taken seriously.

## Ever increasing $\tau_B$

MAC, MARKII LEP

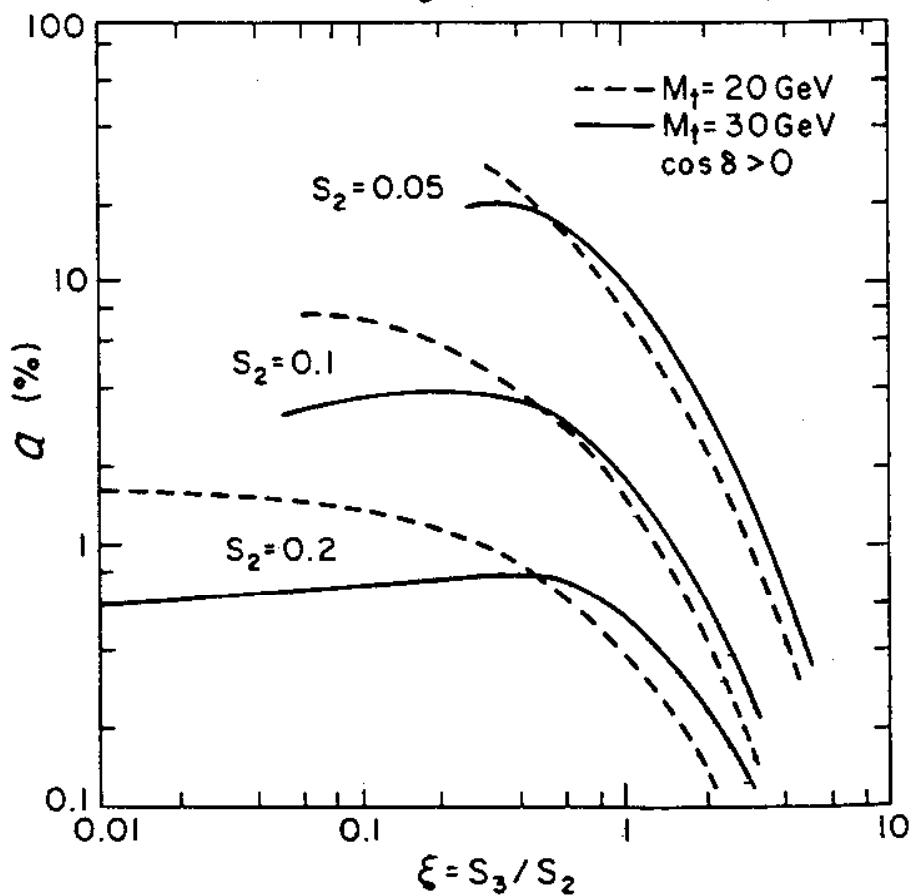
$\Rightarrow V_{cb} \rightarrow A\tau^2$  Asym  $\uparrow$

Measuring  $\sin \Delta m(t, -t_2)$  becomes easier

## Advances in vertex detectors

$$CP \text{ asym. } \xi = \left| \frac{S_3}{S_2} \right| = \left| \frac{V_{ub}}{2V_{cb}} \right| = \sqrt{P^2 + \eta^2}$$

$$S_2 \sim V_{cb} \sim A\lambda^2 = A(0.05)$$



# Asymmetric Collider

Oddone



Came to him during  
conv. with Bigi, AIS

Richter & Oddone

# B factory Proposals

1. SIN
2. KEK AR
3. KEKB BELLE
4. PEP BaBar

# Expectations at T(4S) Bfactories

$$B \rightarrow K\pi \quad \frac{b \lambda^3 u}{\bar{s}} \quad \begin{array}{c} \text{---} \\ \text{---} \\ \text{---} \\ \text{---} \\ \text{---} \end{array}$$

$\lambda$

$\bar{u}$

$s$

$$\frac{b \sqrt{t} \lambda^2 s}{\bar{s}} \quad \begin{array}{c} \text{---} \\ \text{---} \\ \text{---} \\ \text{---} \\ \text{---} \end{array}$$

$\lambda^2$

$\bar{u}$

$u$

$$T(K\pi) \sim \lambda^4$$

$$P(K\pi) \sim \lambda^2 \frac{ds}{12\pi^3} \ln \frac{m_c}{m_s}$$

$$B \rightarrow \pi\pi \quad \frac{b \lambda^3 u}{\bar{s}} \quad \begin{array}{c} \text{---} \\ \text{---} \\ \text{---} \\ \text{---} \\ \text{---} \end{array}$$

$\lambda$

$\bar{u}$

$d$

$$\frac{b \sqrt{t} \lambda^2 d}{\bar{s}} \quad \begin{array}{c} \text{---} \\ \text{---} \\ \text{---} \\ \text{---} \\ \text{---} \end{array}$$

$\lambda^2$

$\bar{u}$

$u$

$$T(\pi\pi) \sim \lambda^3$$

$$P(\pi\pi) \sim \lambda^3 \frac{ds}{12\pi^3} \ln \frac{m_t}{m_c}$$

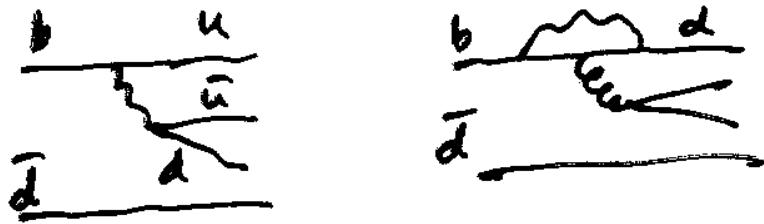
CLEO

$$Br(B \rightarrow K\pi) > Br(B \rightarrow \pi\pi)$$

$$\frac{T(K\pi)}{T(\pi\pi)} \sim 2 \quad \text{so if } P \ll T,$$

$$\frac{Br(K\pi)}{Br(\pi\pi)} \sim \lambda^2$$

Penguins are important



$$A(B \rightarrow f) = e^{i\beta_1} e^{i\delta_1} |A_1| + e^{i\beta_2} e^{i\delta_2} |A_2|$$

$$\Delta\beta = \beta_2 - \beta_1, \quad \Delta\delta = \delta_2 - \delta_1,$$

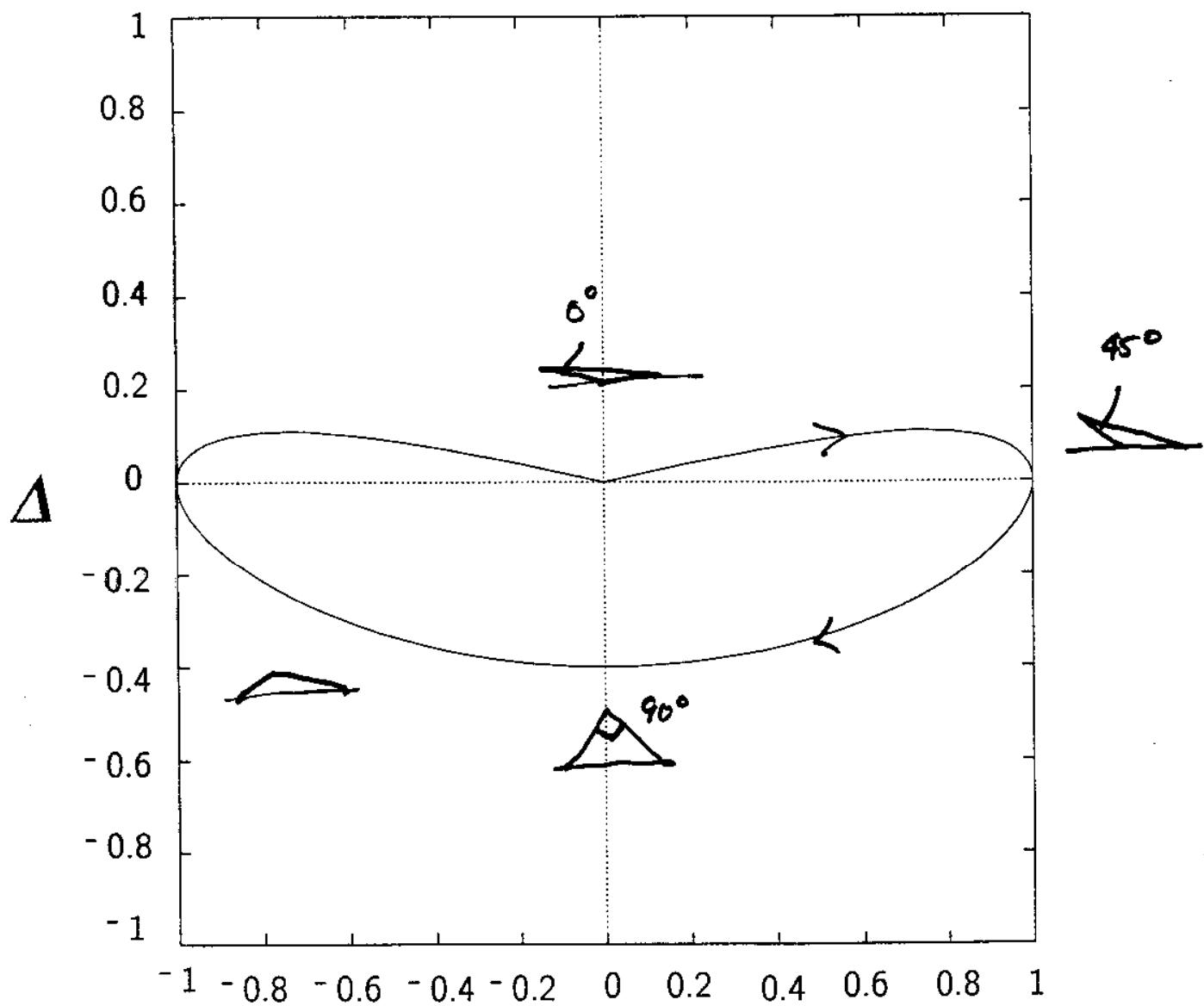
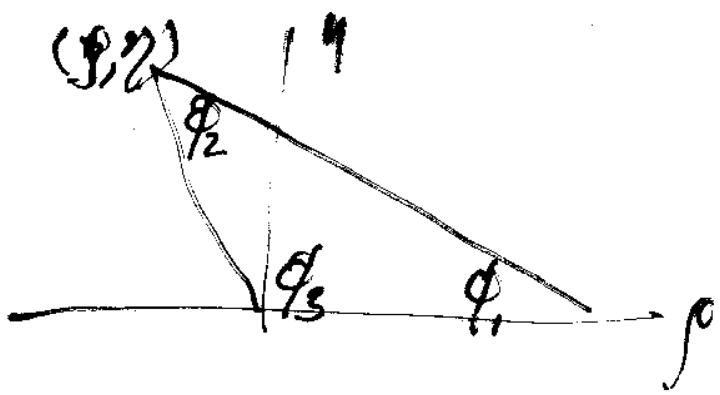
$$\bar{\rho} = \frac{A(\bar{B} \rightarrow f)}{A(B \rightarrow f)} \sim e^{-2\beta_1} \left( 1 - 2i \left| \frac{A_2}{A_1} \right| e^{i\delta_2} \sin \Delta\beta \right)$$

$$\left| \frac{A_2}{A_1} \right| \ll 1$$

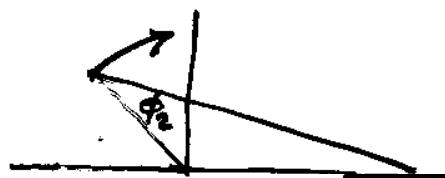
$$\tilde{A}_{\text{sym}} = \text{Im} \left( \frac{q}{p} \bar{\rho}(f) \right) \sim \sin 2(\phi_m - \beta_1)$$

$$-2 \left| \frac{A_2}{A_1} \right| \sin \Delta\beta \cos(2\phi_m - 2\beta_1 + \Delta\delta)$$

///  
Δ



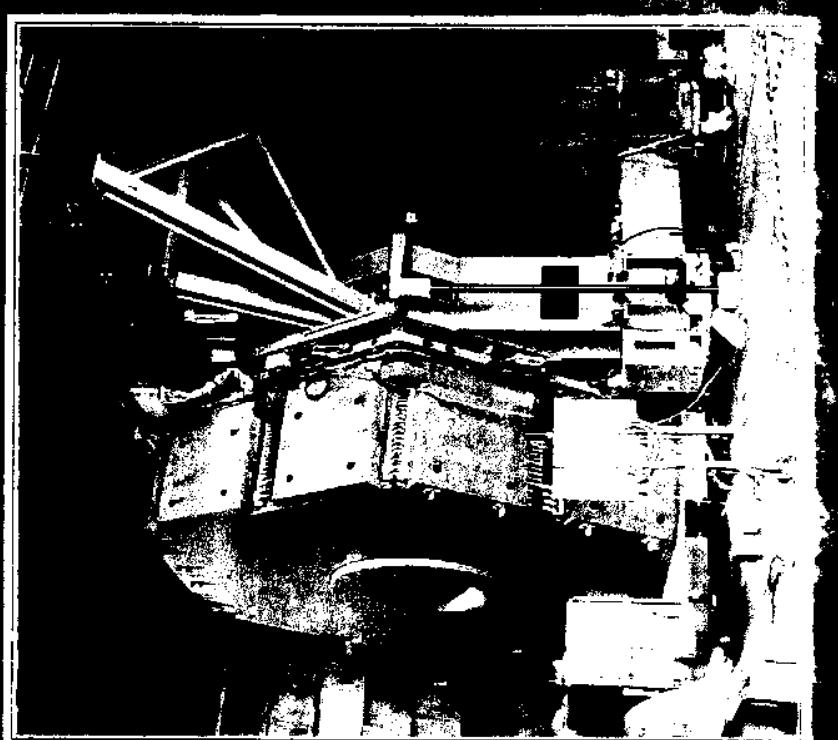
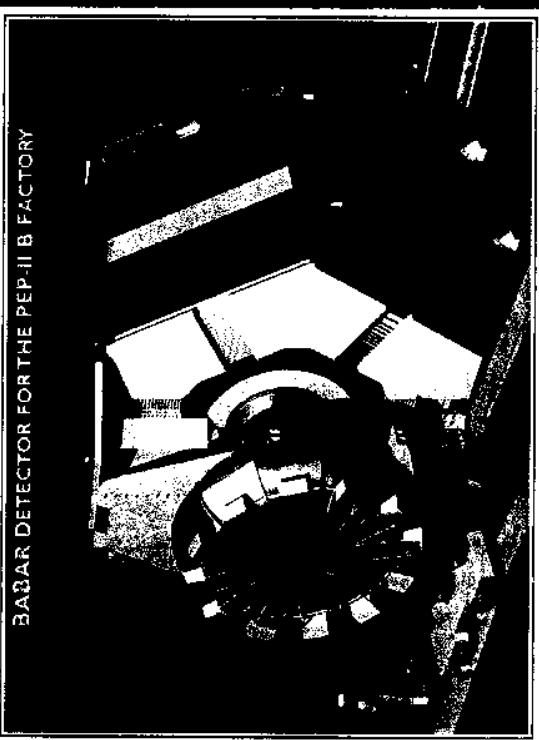
$$\left| \frac{A_2}{A_1} \right| \sim \lambda \quad \sin \Delta \delta = 1$$

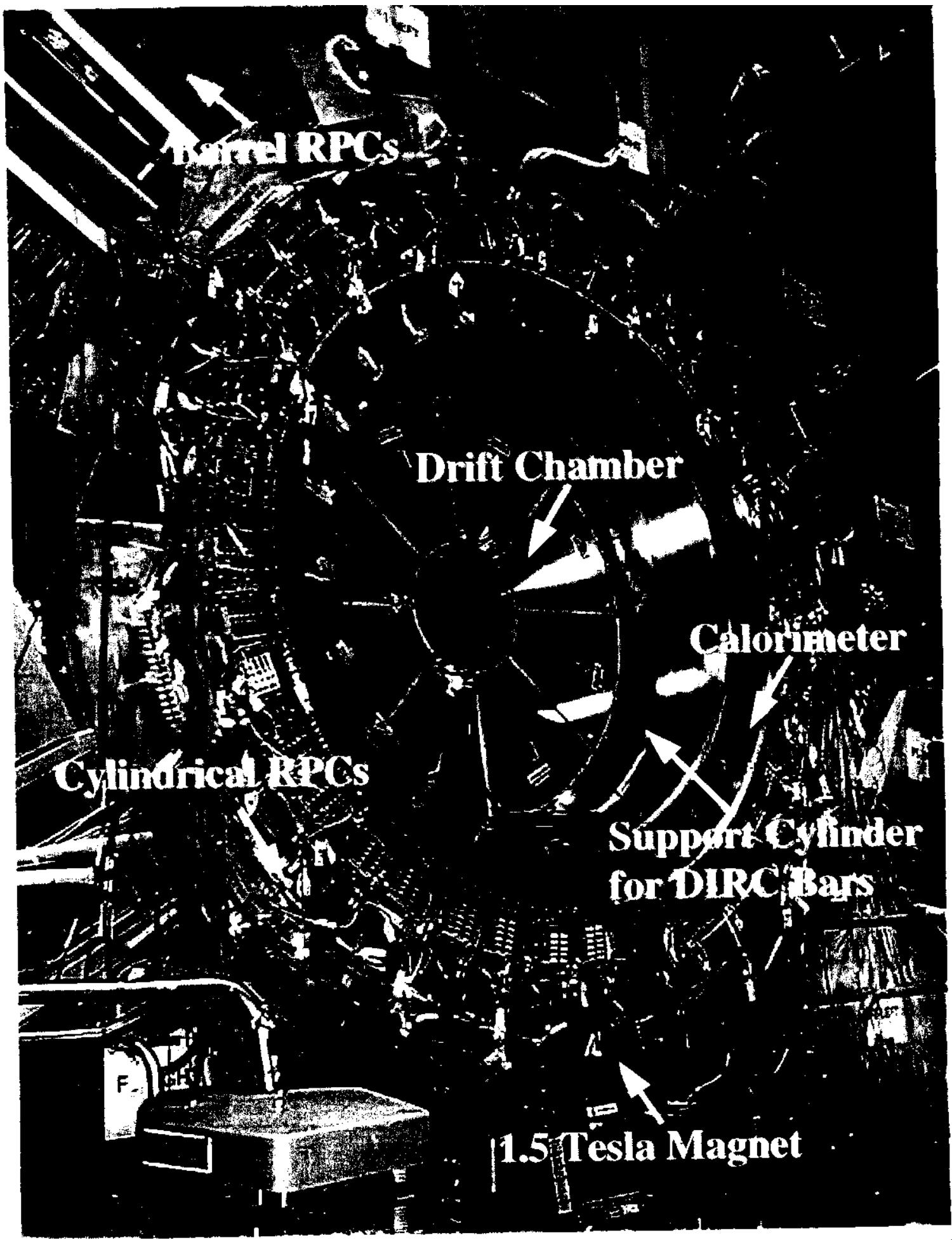


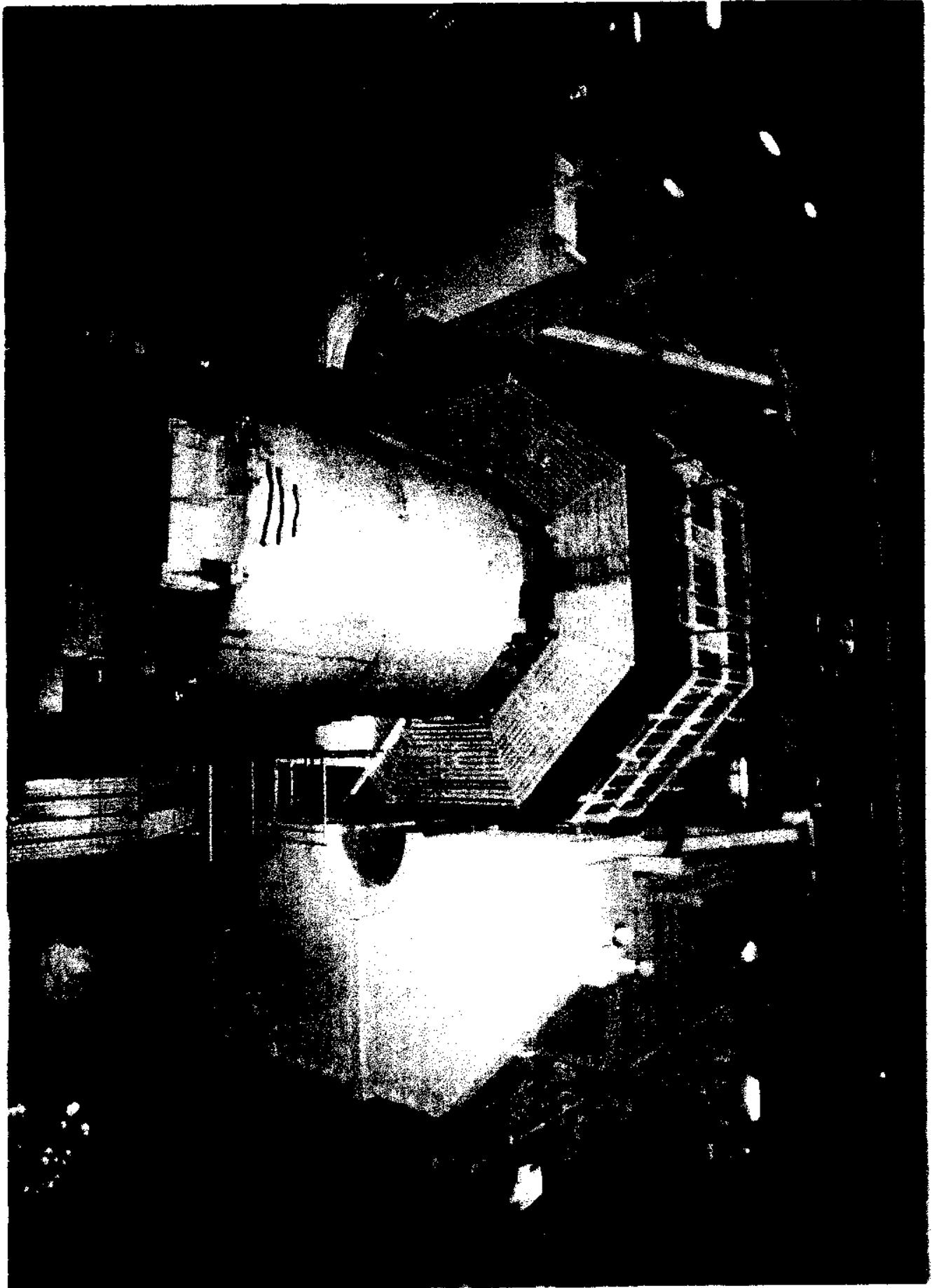
Continued Progress...



Installation - 9/22/98







KEKB

Beam will come on  
in Dec. 98

BELLE

Detector closes  
in Nov. 98

Exp. starts

April 99.

PEP II

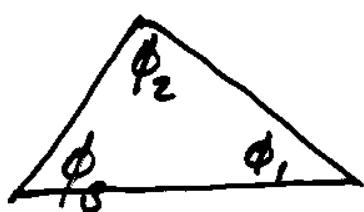
some sign of collision

BaBar

Detector closes  
in Nov. 98 ?

Exp. starts

April 99.



$\sin 2\phi$ , measured  
by late 1999 ??

## Summary

1. Close collaboration between experimentalists and theorists
2. 10 % measurement of  $\phi_1, \phi_2, \phi_3(?)$   
Best scenario
3. High sensitivity B experiment  
is a must!

K physics       $K^0$  discovered Oct. 1946  
52 years old

B physics      20 years old

It will go on at least for another  
30 years!

Second generation precision

exp. must be done !