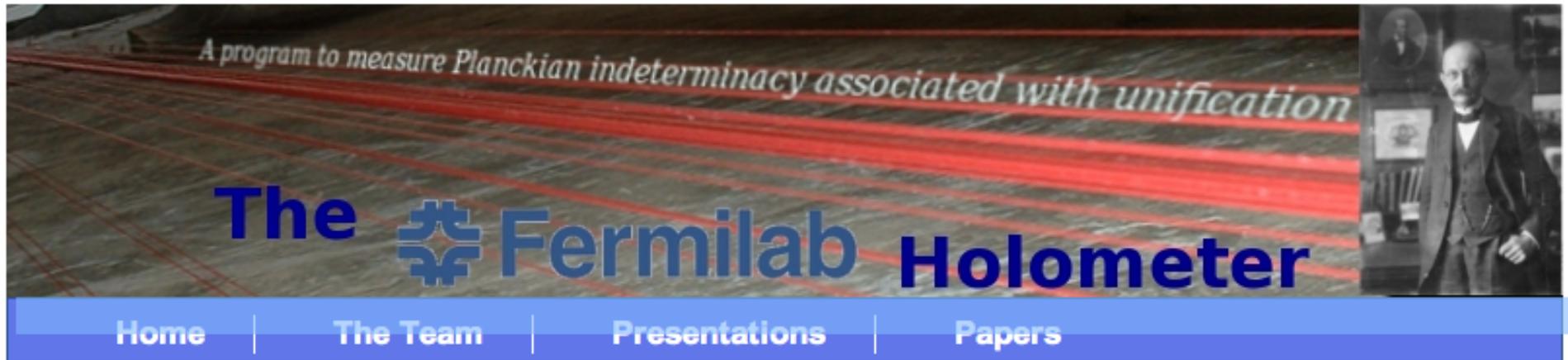


# Development of a DAQ system for detection of Planck scale uncertainty

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# Planck scale physics

- The Planck scale  $M_{\text{pl}} \sim 10^{19}$  GeV is far out of the reach of any conceivable particle collider experiment.
- However, this dimensionful gravitational coupling immediately suggests quantization of space-time:

$$t_P \equiv l_P/c \equiv \sqrt{\hbar G_N/c^5} = 5 \times 10^{-44} \quad \text{seconds}$$

$$l_P = \sqrt{\hbar G_N/c^3} = 1.616 \times 10^{-33} \text{cm}$$

- Effects arising from this quantization may be observable using the sensitive position measurement techniques developed for the detection of gravity waves.
- New position measurement experiments could become the first probes of “unified” theories of fundamental physics such as **string theory** or **matrix theory**, in which space-time and mass-energy are both emergent phenomena.

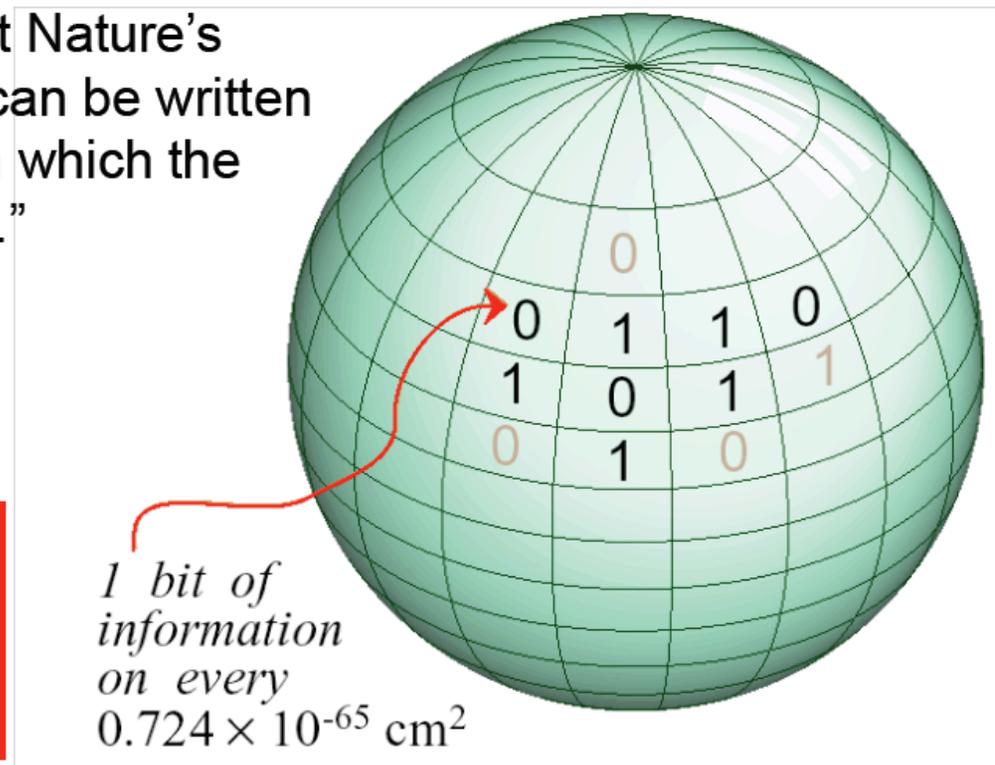
## Bold idea from black hole physics: the world is a hologram

“This is what we found out about Nature’s book keeping system: the data can be written onto a surface, and the pen with which the data are written has a finite size.”

-Gerard 't Hooft

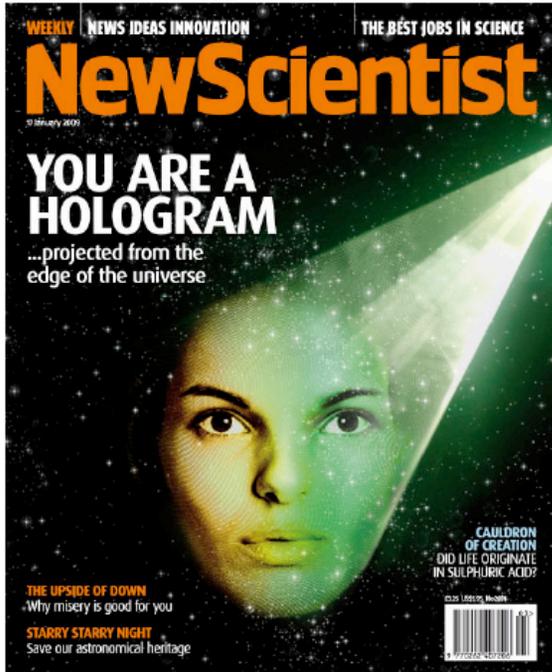
*Everything is written on 2D surfaces moving at the speed of light*

R. Bousso



Are there experimental consequences of this idea?

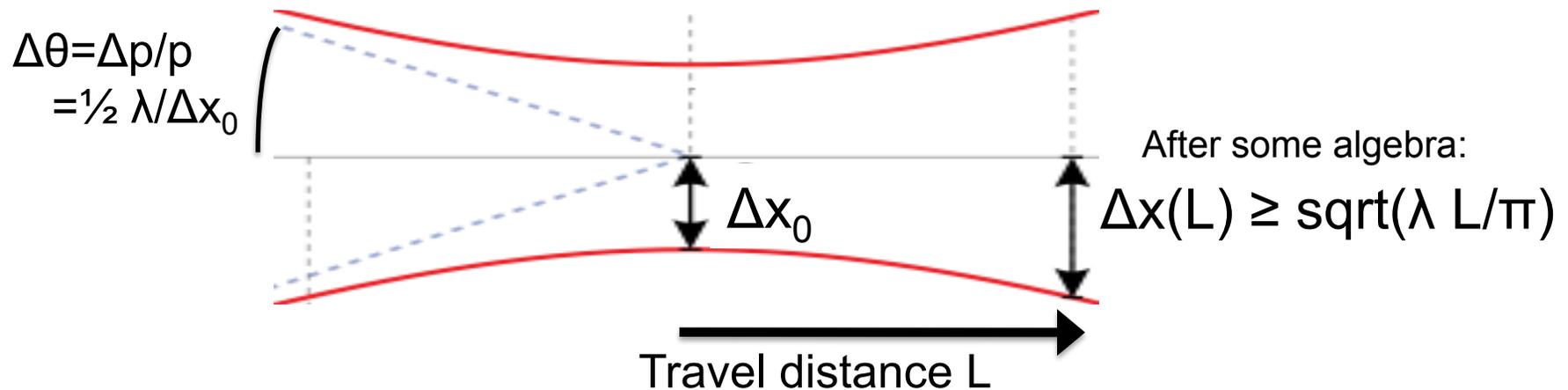
# A holographic world is blurred by diffraction



Can we detect this blurriness in our apparently 3-dim world?

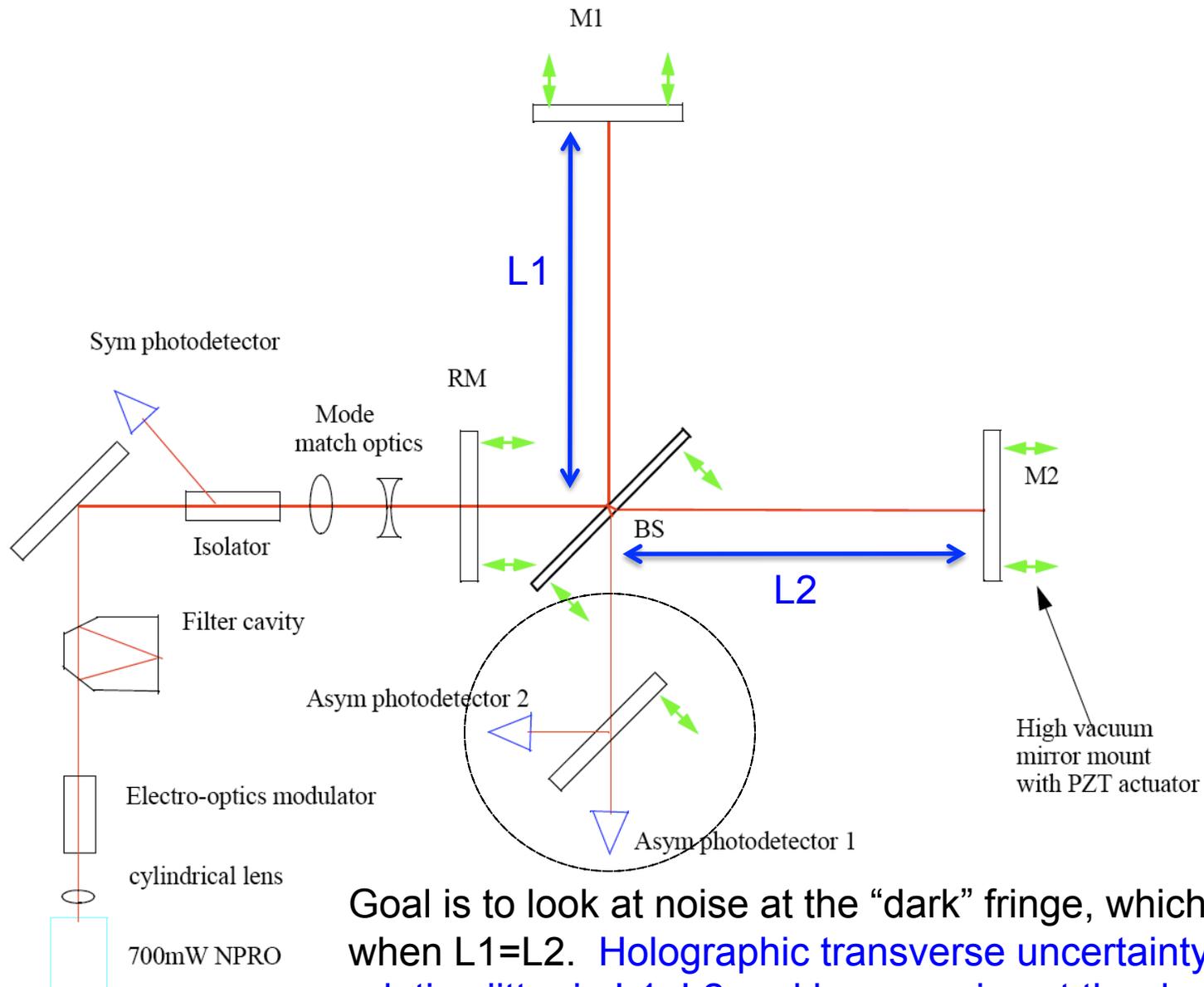
# Covariant formulation: Information is holographically encoded on 2-dim light-fronts

- The transverse position resolution on a light-front is at best the Planck length  $\lambda_{pl} = 1/M_{pl}$ , *independently of the encoding scheme*
- Just as in an optical cavity, localizing  $\Delta x$  of the wave will induce an uncertainty  $\Delta p$  which causes  $\Delta x$  to grow as the wave propagates



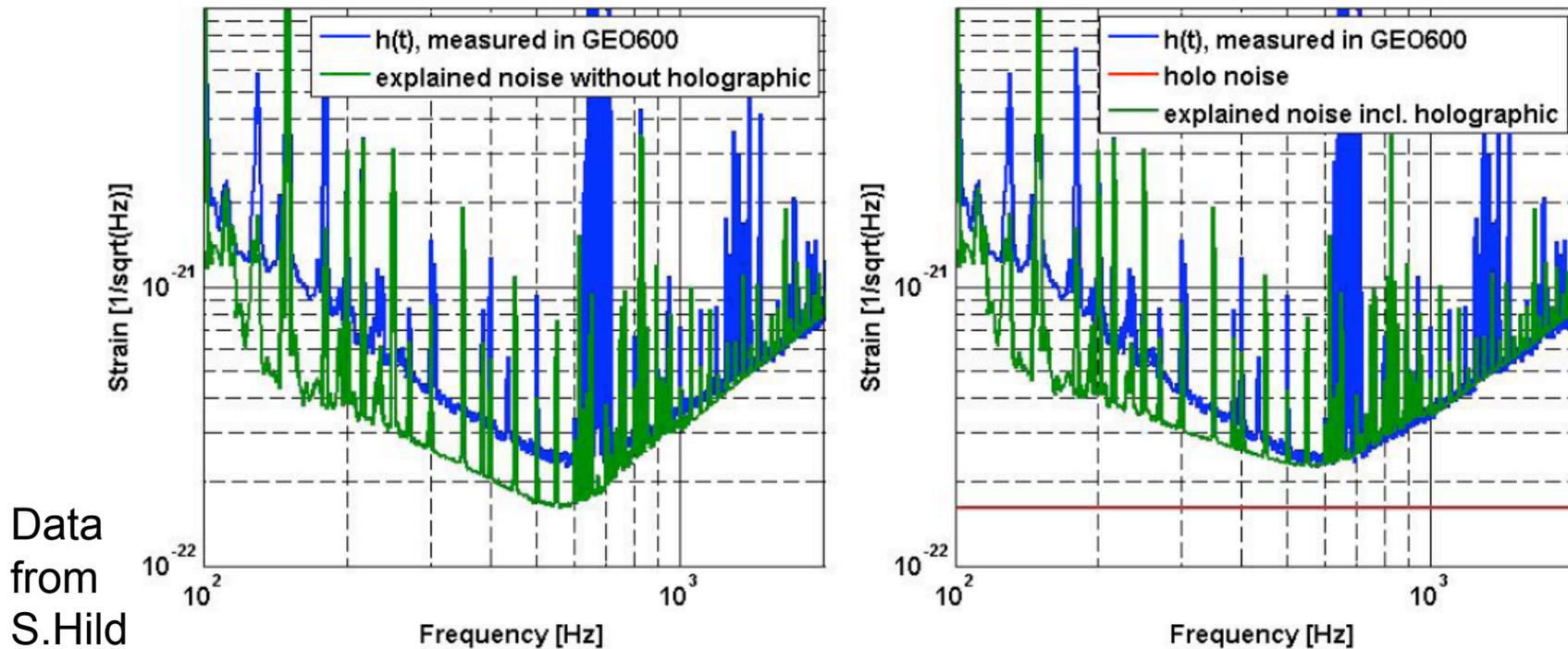
- Since the shortest wavelength is  $\lambda_{pl}$ , the smallest possible transverse uncertainty is at distance  $L$  is:  $\Delta x(L) \geq \sqrt{\lambda_{pl} L / \pi}$
- **The tiny, Planck-suppressed uncertainty can be magnified by a large propagation distance  $L$  to become detectable!**

# Transverse blur causes phase noise in interferometers



Goal is to look at noise at the “dark” fringe, which is dark when  $L1=L2$ . Holographic transverse uncertainty causes relative jitter in  $L1$ ,  $L2$  and hence noise at the dark port.

# The GEO600 mystery noise can be explained by this minimum transverse uncertainty



- Predicted transverse position noise power spectral density ( $\text{cm}^2/\text{Hz}$ ):

$$(\Delta x)^2 = \lambda_P L, \quad \Delta f = 1/\Delta t = c/2L \rightarrow \Phi(f) = (\Delta x)^2 / \Delta f = 4t_P L^2 / \pi$$

- Strain noise in GEO:

$$h(f) = \frac{1}{2} \sqrt{\Phi/L^2} = \sqrt{t_p/\pi} = 1.3 \times 10^{-22} / \sqrt{\text{Hz}}$$

This is a **zero-parameter** model prediction which can explain the noise!

# Our Strategy: Look for correlated noise in two neighboring Michelson interferometers

The noise is a property of the underlying space-time, not the photon beam.

Therefore the noise seen in nearby devices should be identical!

Form the cross-correlation spectrum between noise in the dark fringe detectors for each interferometer

- The correlated noise signal grows **linearly** with time
- Uncorrelated noise product does a random walk and grows as **sqrt(time)**

$$(\phi_1 \times \phi_2)_N = \frac{(\delta\phi_n)^2}{\sqrt{\frac{t_{\text{obs}}}{\tau_{\text{sample}}}}} + (\delta\phi_{\text{Hogan}})^2$$

- Shot noise, thermal noise, phase noise are all uncorrelated between the two devices.

# Noise Calculation

The variance of the phase in an interferometer due to photon shot noise is

$$\begin{aligned}(\delta\phi_n)^2 &= \frac{1}{n} = \frac{1}{\dot{n}\tau_s} \\ &= \frac{hc^2}{2P_{BS}L\lambda_{opt}}\end{aligned}$$

Where  $n$  is the number of photons

$P_{BS}$  is the power on the beam splitter

$\lambda_{opt}$  is the wavelength of the laser light

# Integration time

The integration time is

$$\begin{aligned} t_{\text{obs}} &> \tau_s \left( \frac{(\delta\phi_n)^2}{(\delta\phi_H)^2} \right)^2 \\ &> \left( \frac{h}{P_{\text{BS}}} \right)^2 \left( \frac{\lambda_{\text{opt}}}{\lambda_p} \right)^2 \left( \frac{c^3}{32\pi^4 L^3} \right) \end{aligned}$$

We propose an interferometer with 40m arms, 1000 W and a wavelength of 1.06 $\mu$ .

The sample time is

$$\tau_s = 2L/c = 270 \text{ ns}$$

or about 4 MHz bandwidth.

The integration to S/N=1 is 3.5 minutes and 1/2 hour to reach 3  $\sigma$ .

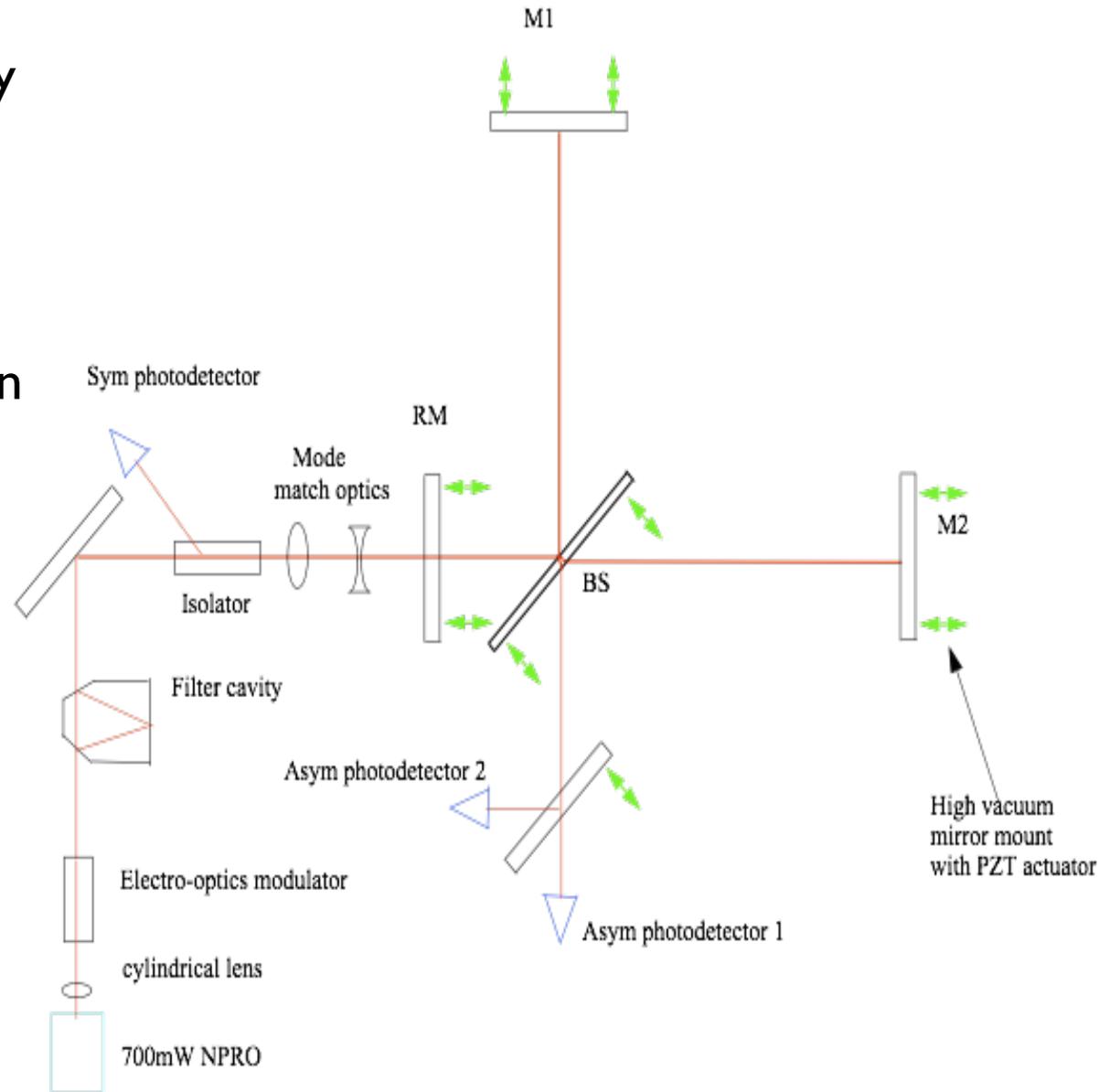
We plan typical 10 hour runs and will reach 12  $\sigma$  for each run.

# What is needed?

Inject 2 W laser into cavity  
with finesse of 500 to  
get 1000 W in cavity.

Hold the interferometer  
steady to small fraction  
of a fringe.

Record light coming from  
antisymmetric port at  
high frequencies.



# Control and Data Acquisition

