

HYPERON PHYSICS:

AN OVERVIEW

(A PERSONAL)

B. HOLSTEIN

UMass

OUTLINE

a) $B \rightarrow B' \pi$ - CP VIOLATION

b) $B \rightarrow B' e \nu_e$ - SU(3) VIOLATION
sin θ_c / UNITARITY

c) $B \rightarrow B' \gamma$ - HARA'S THEOREM
ASYMMETRIES

d) HYPERON POLARIZABILITIES

e) POLARIZATION ISSUES

f) Etc.

$$\begin{array}{c}
 \text{GOOD S-WAVE FIT} \Rightarrow \text{POOR P-WAVE FIT} \\
 \text{OR} \\
 \text{GOOD P-WAVE FIT} \Rightarrow \text{POOR S-WAVE FIT}
 \end{array}$$

PROBLEM IS THEORETICAL - IMPROVED DATA WON'T HELP.

INTEREST LIES INSTEAD IN STD. MODEL? CP VIOLATION

$$\begin{array}{l}
 A = |A| e^{i\delta_s + i\phi_1} \\
 \bar{B} = |B| e^{i\delta_p + i\phi_2}
 \end{array}
 \quad \begin{array}{l} \nwarrow \\ \swarrow \end{array}
 \quad \begin{array}{l} \text{CP VIOLATING} \\ \text{PHASES} \end{array}$$

MEASURE VIA COMPARING B AND $\bar{B}$ DECAY

$$B \rightarrow B' \pi \quad W(\theta) \sim 1 + \alpha \vec{P}_B \cdot \hat{p}_{B'}$$

$$\langle \vec{P}_{B'} \rangle = \frac{1}{W(\theta)} \left((\alpha + \vec{P}_B \cdot \hat{p}_{B'}) \hat{p}_{B'} + \beta \vec{P}_B \times \hat{p}_{B'} + \gamma (\hat{p}_{B'} \times (\vec{P}_B \times \hat{p}_{B'})) \right)$$

FIND

$$R_B \equiv \frac{\beta + \bar{\beta}}{\beta - \bar{\beta}} \approx \sin(\phi_1 - \phi_2)$$

$$R_A \equiv \frac{\alpha + \bar{\alpha}}{\alpha - \bar{\alpha}} \approx -\sin(\phi_1 - \phi_2) \sin(\delta_s - \delta_p)$$

$$R_C \equiv \frac{\Gamma - \bar{\Gamma}}{\Gamma + \bar{\Gamma}} \approx -\frac{2}{(|A_1|^2 + |\bar{B}_1|^2)}$$

$$\left(A_1 A_3 \sin(\delta_1^S - \delta_3^S) \sin(\varphi_1' - \varphi_3') \right.$$

$$\left. + \bar{B}_1 \bar{B}_3 \sin(\delta_1^P - \delta_3^P) \sin(\phi_1^2 - \phi_3^2) \right)$$

Then $R_A \approx \sin(\delta_s - \delta_p) R_B \approx 0.1 R_B$

$$R_C \approx \sin(\delta_1 - \delta_3) \cdot \frac{\theta_3}{\theta_1} R_B \approx 0.1 \cdot 0.1 R_B$$

ASIDE: FURTHER "THEORETICAL" ISSUE

$$\Delta I = \frac{1}{2} \text{ RULE} - \frac{\text{Amp}(1/2)}{\text{Amp}(3/2)} \sim 20$$

SAME SEEN ELSEWHERE BUT

$$\begin{array}{l} \hookrightarrow K \rightarrow \pi\pi \\ K \rightarrow \pi\pi\pi \end{array}$$

NONMESONIC HYPERNUCLEAR DECAY

$$\text{FREE } \Lambda : \quad \Lambda \rightarrow N\pi$$

$$\text{BOUND } \Lambda : \quad \Lambda + p \rightarrow n + p$$

$$\Lambda + n \rightarrow n + n$$

PRESENT DATA ON ${}^4_1\text{H}$, ${}^4_1\text{He}$

$$\frac{A(1/2)}{A(3/2)} \sim 1$$

HYPERON β -DECAY

WHAT IS IT? $\Lambda \rightarrow p e \bar{\nu}_e$
 $\Sigma^- \rightarrow n e \bar{\nu}_e$
 $\Xi^- \rightarrow \Lambda, \Sigma^0 e \bar{\nu}_e$
 $\Sigma^- \rightarrow \Lambda e \bar{\nu}_e$
 $\Sigma^+ \rightarrow \Lambda e \nu_e$

DESCRIBE VIA

$$\langle B' | V_\mu | B \rangle = \bar{u}(p') \left(f_1 \gamma_\mu + \frac{f_2}{2M} - i \sigma_{\mu\nu} q^\nu + \frac{f_3}{2M} q_\mu \right) u(p)$$

$$\langle B' | A_\mu | B \rangle = \bar{u}(p') \left(g_1 \gamma_\mu + \frac{g_2}{2M} - i \sigma_{\mu\nu} q^\nu + \frac{g_3}{2M} q_\mu \right) \gamma_5 u(p)$$

ISSUES: KM UNITARITY

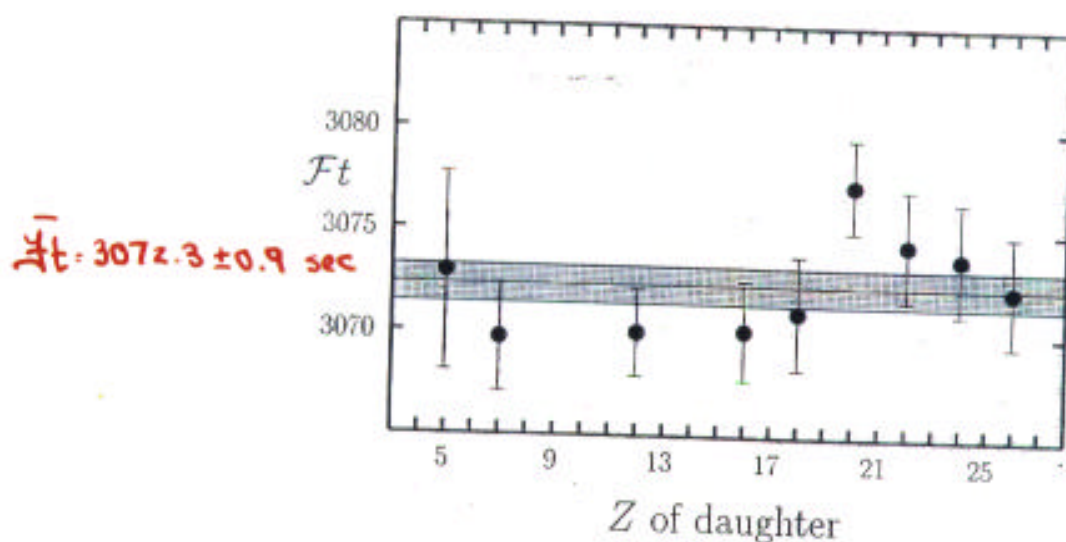
$$V_{ud}^2 + V_{us}^2 + V_{ub}^2 = 1$$

$V_{ub} \approx 0.003$ FROM B -DECAY

NEGLECTIBLE CONTRIBUTION TO UNITARITY

DETERMINE V_{ud} FROM SUPERALLOWED ($0^+ \rightarrow 0^+$) VIA

	Q_{EC} (keV)	$t_{1/2}$ (ms)	R (%)	P_{EC} (%)	ft (s)	$\mathcal{F}t$ (s)
^{10}C	1907.77(9)	19290(12)	1.4645(19)	0.296	3038.7(45)	3072.9(48)
^{14}O	2830.51(22)	70603(18)	99.336(10)	0.087	3038.1(18)	3069.7(26)
^{26}mAl	4232.42(35)	6344.9(19)	≥ 99.97	0.083	3035.8(17)	3070.0(21)
^{34}Cl	5491.71(22)	1525.76(88)	≥ 99.988	0.078	3048.4(19)	3070.1(24)
^{38}mK	6044.34(12)	923.95(64)	≥ 99.998	0.082	3049.5(21)	3071.1(27)
^{42}Sc	6425.58(28)	680.72(26)	99.9941(14)	0.095	3045.1(14)	3077.3(23)
^{46}V	7050.63(69)	422.51(11)	99.9848(13)	0.096	3044.6(18)	3074.4(27)
^{50}Mn	7632.39(28)	283.25(14)	99.942(3)	0.100	3043.7(16)	3073.8(27)
^{54}Co	8242.56(28)	193.270(63)	99.9955(6)	0.104	3045.8(11)	3072.2(27)
Average, $\overline{\mathcal{F}t}$						3072.3(9)
χ^2/ν						1.10



$$V_{ud}^2 = \frac{2\pi^3 \ln 2 m_e^{-5}}{2 G_F^2 (1 + \Delta_R^V) \overline{\mathcal{F}t}}$$

$\hookrightarrow 2.40 \pm 0.08 \%$

$\downarrow$

$$V_{ud} = 0.9740 \pm 0.0005$$

Take $V_{us} = 0.2196 \pm 0.0023$ FROM K_{23}



$$\sum_j V_{uj}^2 = 0.9968 \pm 0.0014$$

CAN WE DETERMINE V_{us} FROM HYPERON β -DECAY
WITH COMPARABLE PRECISION?

REQUIRES:

- GOOD EXPERIMENTAL DATA BASE (INC. POL.)
- SOLID THEORETICAL CALCULATION OF
SU(3) BREAKING

EXAMPLE: DONOGHUE, HOLSTEIN, KLIMT

SU(3) INVARIANT FIT $\chi^2/\text{dof} = 2.0$

SU(3) BROKEN FIT $\chi^2/\text{dof} = 0.85$

YIELDED $V_{us} = 0.220 \pm 0.003$

BUT OTHER (GARCIA ET AL) $V_{us} = 0.2176 \pm 0.0026$

NEED RATES AND ASYMMETRIES!

ADDITIONAL ISSUE:

$n \rightarrow p e^- \bar{\nu}_e$ $\underbrace{g_2 = f_3 = 0}_{\text{FROM } G = C \exp i\pi I_2 \text{ INV.}}$

"NO SECOND CLASS CURRENTS"

SIMILARLY

$\Lambda \rightarrow p e^- \bar{\nu}_e$ $g_2 = f_3 = 0$ FROM $C \exp i\pi V_2$ INV.
etc.

SU(3) BREAKING (V-SPIN VIOLATION) IMPLIES

$g_2, f_3 \neq 0$

QUARK MODEL CALCULATIONS: $g_2/g_1 \sim -0.2$

NEED RATES AND ASYMMETRIES!

RADIATIVE NONLEPTONIC HYPERON DECAY

WHAT IS IT?

$$\Lambda \rightarrow n \gamma$$

$$\Sigma^+ \rightarrow p \gamma$$

$$\Xi^0 \rightarrow \Lambda, \Sigma^0 \gamma$$

$$\Xi^- \rightarrow \Sigma^- \gamma$$

DESCRIBE VIA

$$\langle B' \gamma | H_w | B \rangle = \bar{u}(p') \left(C \underset{MI \leftarrow}{\epsilon_{\mu\nu} \sigma^{\mu\nu} q_\nu} + D \underset{\rightarrow EI}{\epsilon_{\mu\nu} \sigma^{\mu\nu} q_\nu} \gamma_5 \right) u(p)$$

ISSUES: LONGSTANDING PROBLEM - HARA'S THEOREM

Y. HARA (1964) - U SPIN INVARIANCE $\Rightarrow D = 0$

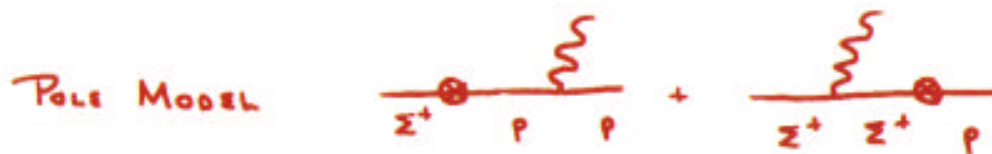
IF B, B' ARE MEMBERS OF U-SPIN MULTIPLET

PREDICTS ZERO ASYMMETRY PARAMETER FOR $\Sigma^+ \rightarrow p \gamma, \Xi^- \rightarrow \Sigma^- \gamma$

Exp. $\alpha_\gamma = \frac{2R C^+ D}{|C|^2 + |D|^2} = -0.76 \pm 0.08 \quad \Sigma^+ \rightarrow p \gamma$

i.e. $|C| \sim |D|$

MANY THEORETICAL STUDIES OVER THE YEARS

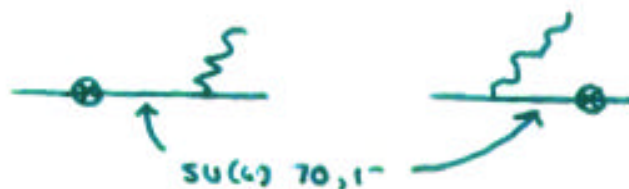


$$\langle p | H_w^{PC} | \Sigma^+ \rangle \neq 0$$

$$\langle p | H_w^{PV} | \Sigma^+ \rangle = 0 \quad \text{LEE-SWIFT THEOREM}$$

MANY TRIES - LITTLE SUCCESS - ONE EXCEPTION

YAGUANG ET AL (1979)



RECENTLY RESURRECTED BY BORASOY & HOLSTEIN IN
CHIRAL APPROACH

$$SU(6) \quad 70, 1^- \longrightarrow \frac{1}{2}^-, \frac{1}{2}^+ \quad \text{INT. ST.}$$

LARGE NEGATIVE $\alpha_{\gamma}^{\Sigma^+}$ "NATURAL"

BUT CONFIRMATION OF THIS OR ANY MODEL REQUIRES
DATA ON RATES AND ASYMMETRIES!

HYPERON POLARIZABILITY

WHAT IS IT?



$$\vec{P} = 4\pi\alpha_E \vec{E}$$

↑ ELECTRIC POLARIZABILITY

SIMILARLY $\vec{\mu} = 4\pi\beta_M \vec{H}$

↑ MAGNETIC POLARIZABILITY

CORRESPONDING ENERGY IS

$$U = -\frac{1}{2} \vec{P} \cdot \vec{E} - \frac{1}{2} \vec{\mu} \cdot \vec{H}$$

$$= -\frac{1}{2} 4\pi\alpha_E E^2 - \frac{1}{2} 4\pi\beta_M H^2 \rightarrow H_{\text{eff}}$$

MEASURE IN COMPTON SCATTERING

$$\text{Amp} = \hat{E}_f \cdot \hat{E}_i \left(-\frac{e^2}{M} + \omega\omega' 4\pi\alpha_E \right) + \hat{E}_f \times \hat{q}_f \cdot \hat{E}_i \times \hat{q}_i 4\pi\beta_M + \dots$$

THEN

$$\frac{d\sigma}{d\Omega} = \frac{\alpha^2}{M^2} \left(\frac{\omega'}{\omega} \right)^2 \left(\frac{1}{2} (1 + \cos^2 \theta) - \frac{M\omega\omega'}{\alpha} \left[\frac{\alpha_E + \beta_M}{2} (1 + \cos \theta)^2 + \frac{\alpha_E - \beta_M}{2} (1 - \cos \theta)^2 \right] + \dots \right)$$

IN THIS WAY RECENT SAL, MAMI MEASUREMENTS GIVE
FOR PROTON

$$\alpha_E = (12.1 \pm 0.8 \pm 0.5) \times 10^{-4} \text{ fm}^3$$

$$\beta_M = (2.1 \pm 0.8 \pm 0.5) \times 10^{-4} \text{ fm}^3$$

WHAT'S IT MEAN?

CLASSIC QM CALCULATION

$$\alpha_E^H = \frac{9}{2} a_0^3$$

BUT

$$\alpha_E^P \sim 10^{-3} \langle r_p^3 \rangle$$

STRONGLY BOUND!

HOW TO MEASURE FOR HYPERONS (CHARGED)



PRIMAKOFF EFFECT

HAS BEEN EMPLOYED BY ANTIPOV ET AL TO
MEASURE π^+ POLARIZABILITY.

THEORETICAL CALCULATIONS: BERNARD ET AL

$$\alpha_E^{Z^+} \sim 9.4 \times 10^{-4} \text{ fm}^3$$

$$\alpha_E^{Z^-} \sim 2.1 \times 10^{-4} \text{ fm}^3$$

POLARIZATION IN HYPERON PRODUCTION

WHAT IS IT? FOUND IN 1976 AT FNAL

$$p(300 \text{ GeV}/c) + Be \rightarrow \vec{\Lambda} + X$$

GENERAL DEPENDENCE ON S , $x_F = \frac{p_{\Lambda}^{\parallel}}{p_F}$, p_{Λ}^T

PROPERTIES:

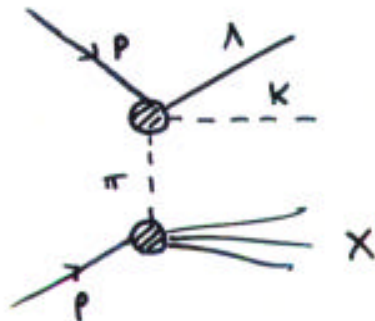
$$1) E d^3\sigma/dp^3 = S(x_F, p_{\Lambda}^T)$$

$$2) \vec{P} \cdot \hat{p}_{\pi} \times \hat{p}_{\Lambda} < 0$$

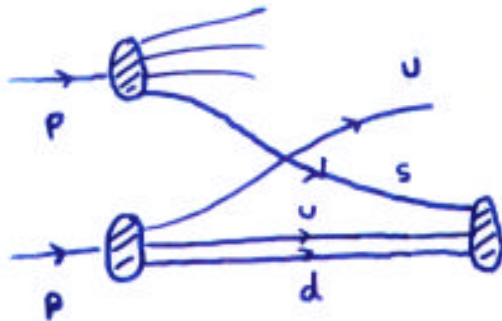
3) P INDEPENDENT OF S

VARIOUS THEORETICAL APPROACHES

a) REGGEIZED MESON EXCHANGE (SOFFER & TÖRNQVIST)



b) QUARK-PARTON APPROACH (DEGRAND & MIETTINEN)



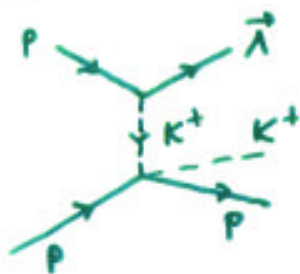
(THOMAS PRECESSION!)

ALSO RECENT NEAR THRESHOLD DATA FROM SATURNE

ON

$$\vec{p} + p \rightarrow p + \vec{\Lambda} + K^+$$

SHOWS DOMINANCE OF K^+ EXCHANGE



CONNECTION WITH $A_N > 0$ IN

$$\vec{p} + p \rightarrow \pi^+ + X$$

CONCLUSION

STILL MUCH TO STUDY (AND TO BE
LEARNED!) ABOUT

STRONG

ELECTROMAGNETIC

WEAK

INTERACTION PROPERTIES OF

HYPERONS!

NONLEPTONIC HYPERON DECAY

WHAT IS IT? $\Lambda \rightarrow p\pi^-, n\pi^0$

$\Sigma^+ \rightarrow p\pi^0, n\pi^+$

$\Xi^- \rightarrow \Lambda\pi^-$

DESCRIBE VIA

$$\langle B'\pi | H_w | B \rangle = \bar{u}(p') (A + B\gamma_5) u(p)$$

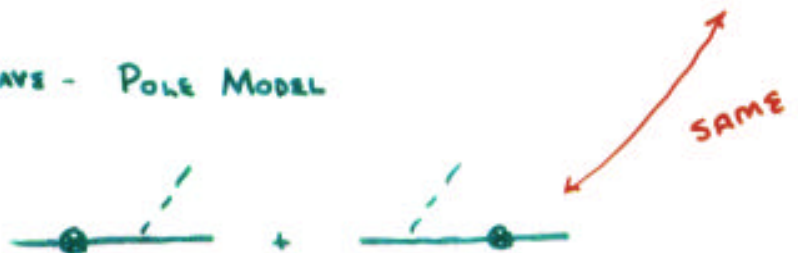
S-WAVE
P-VIOL

P-WAVE
P-CONS.

ISSUES: LONGSTANDING PROBLEM - S/P WAVE

THEORY: S-WAVE - $\langle \pi^0 B' | H_w | B \rangle = -\frac{i}{F_\pi} \langle B' | [F_\pi, H_w] | B \rangle$

P-WAVE - POLE MODEL



BUT